

① $n \quad 2(n-1) \quad 2 \binom{n}{2} \cdot 1 = n(n-1) \quad 1 \quad \frac{1}{2} \quad 0$

ogni giocatore ha $n-1$ punti su $2(n-1)$ partite

(a) numero pari di pareggi $0, 2, 4, \dots, 2(n-1)$
 $\uparrow \quad \uparrow \quad \uparrow \quad \uparrow$
 n valori

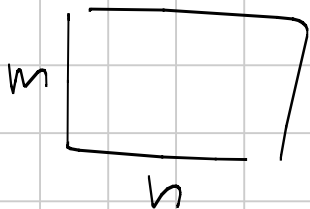
R.P.A. ci sarebbe un giocatore con 0 pareggi, uno con 2, ...
 uno con $2(n-1)$ **arrando**

(b) R.P.A. tutti numeri di vittorie (col bianco) distinti

$0, 1, 2, \dots, n-1$ \rightarrow ci sarebbe un giocatore con 0 v.b.
 $\uparrow \quad \uparrow \quad \uparrow \quad \uparrow$
 n valori
 uno con 1 v.b. ... uno con $n-1$ v.b.

$n-1$ v.b. \rightarrow 0 p.b., 0 s.b., 0 v.n., 0 p.n., $n-1$ s.n.
arrando.

2) determinare (m, n) in modo che

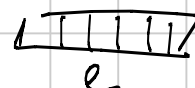


somma dei numeri \sim $\boxed{+}$ neg

somma dei numeri \sim $\boxed{\#}$ pos.

COSE INTERESSANTI IN 1D

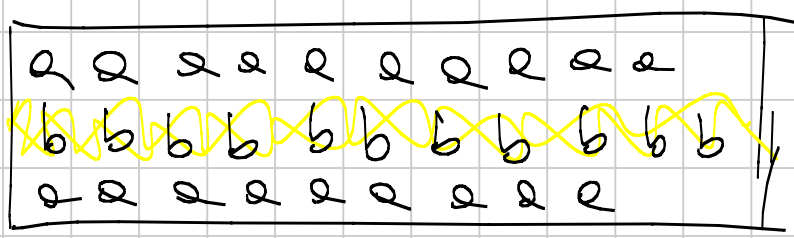
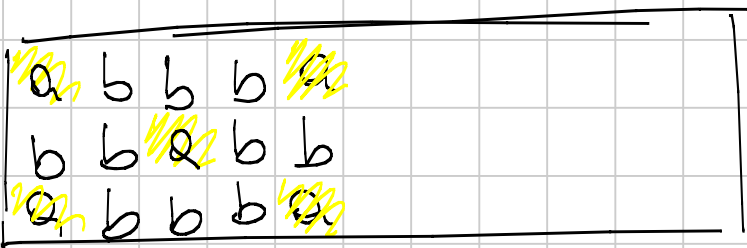
MAX $k+l-2$



CONTINUES. CON $k+l-2$ SI FA CON

2 VALORI a E b

- 1) 4x4 NON SI FA (X) DIM
- 2) 3x4 SI FA (***) ESEMPIO



$$2(a+b) < 0$$

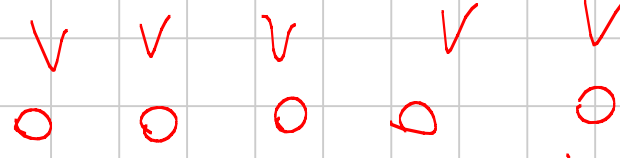
$$3b + 6a > 0$$

-1,201 + 1

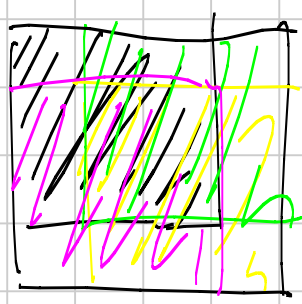
$\{a_i\}$ 5 consecutivi < 0 $7 > 0$

$$\begin{array}{r}
 a_1 + a_2 + a_3 + a_4 + a_5 < 0 \\
 a_2 + a_3 + a_4 + a_5 + a_6 < 0 \\
 \vdots \\
 a_7 + a_8 + a_9 + a_{10} + a_{11} > 0
 \end{array}$$

somme lungo
le righe
negative



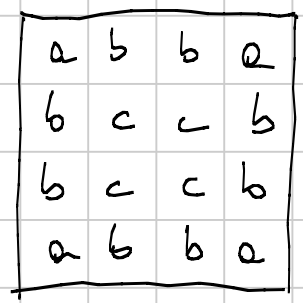
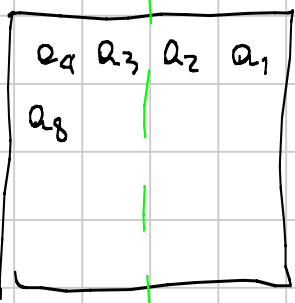
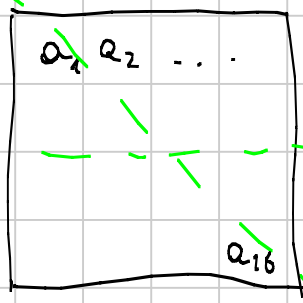
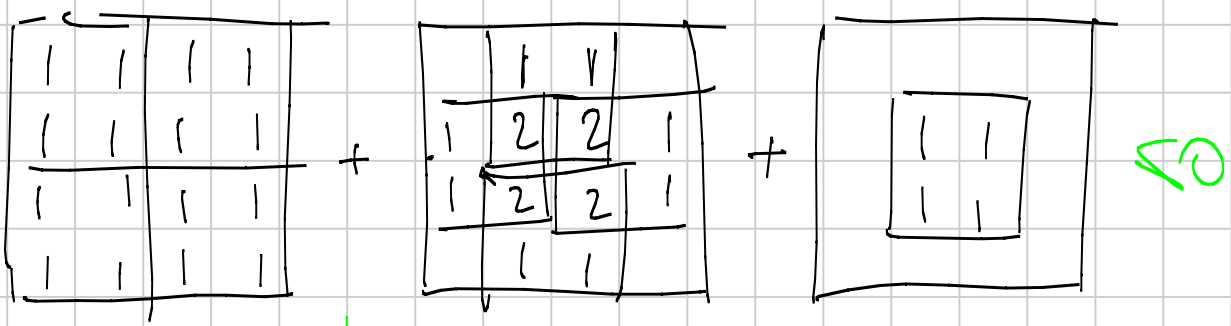
SOMME LUNGO COLONNE POSITIVE



1	2	2	1
2	4	4	2
2	4	4	2
1	2	2	1

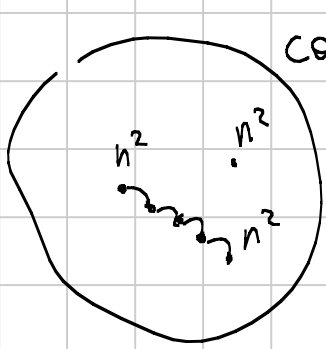
> 0

Somme
dei numeri
in questi
quadrati

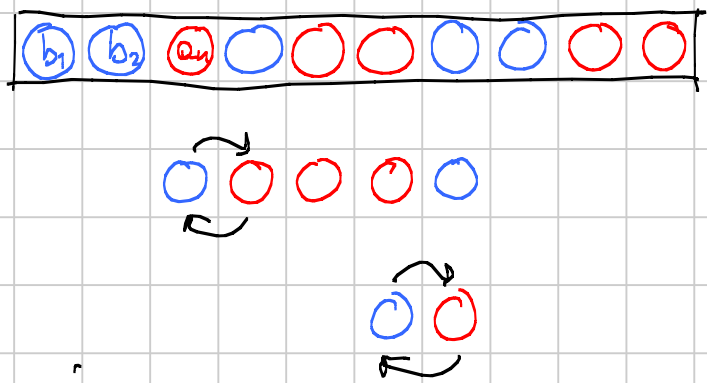


$$\sum_{i=1}^n a_i + \sum_{i=1}^n b_i - 2 \sum_{i=1}^n \min(a_i, b_i) = n^2$$

$$\sum_{i=1}^{2n} i - 2 \sum_{i=1}^n i = \frac{2n(2n+1)}{2} - n(n+1) = n^2$$



conf



distingua un po' di cani

$$a_{j+1} = b_k \iff b_{k+1} = a_j$$

$\begin{cases} j < k \\ j = k \\ j > k \end{cases}$ gratis ✓

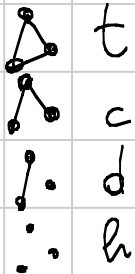
... e contiamo una configurazione facile

④ • n vertici

∴ e archi connessi

$$\binom{n}{2} = e + v$$

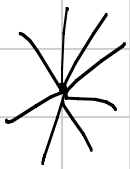
∴ v archi non connessi



$$\left\{ \begin{array}{l} (n-2)e = 3t + 2c + d \end{array} \right\} \text{ per } d$$

$$\left\{ \begin{array}{l} (n-2)v = 3h + 2d + c \end{array} \right\} \text{ per } h$$

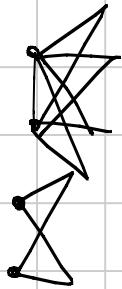
$$\left\{ \begin{array}{l} \binom{n}{3} = t + c + d + h \end{array} \right\} \text{ comb. lineare}$$



$$8n = 2e$$

$$\binom{8}{2}n = 3t + c$$

$$\left\{ \begin{array}{l} e = 4n \\ 28n = 4e + 2v \\ n(n-1) = 2e + 2v \end{array} \right.$$



$$4e = 3t$$

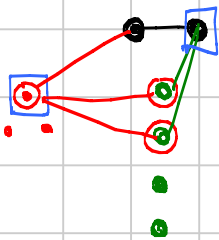
$$2v = c$$

$$28n = n^2 - n + 8n$$

$$n^2 - 21n = 0$$

$$n = 0$$

$$n = 21$$



∴ annullo



$$X = \{ \text{D} \quad C \cap D \quad A \in C \}$$

$$Y = \{ \quad \quad \quad B \in C \}$$

$$Z = \underbrace{\{A\}}_1 \cup \underbrace{\{B\}}_1 \cup \underbrace{X \cup Y}_2 \cup \dots$$