

ES. 1, 3, 6, 10

$$4 \cdot \begin{pmatrix} 15 \\ 5 \end{pmatrix}$$

$$\begin{pmatrix} 20 \\ 7 \end{pmatrix}$$

$$\frac{8!}{4! \cdot 4!} \rightarrow$$

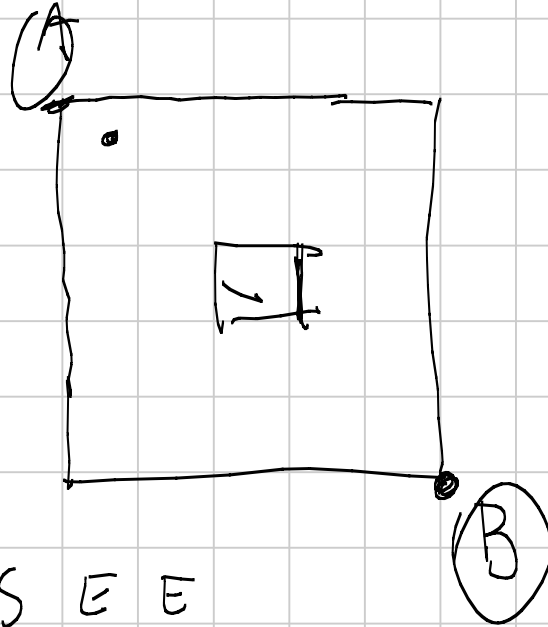
$$\begin{pmatrix} 4 \\ 2 \end{pmatrix} \cdot \frac{6!}{3! \cdot 3!} \rightarrow \begin{pmatrix} 4 \\ 2 \end{pmatrix} \cdot \frac{2! \cdot 2!}{2! \cdot 2!}$$

S S S S  
E E E E

S S E E

S S S S E  
E E E

$$\frac{8!}{4! \cdot 4!} =$$



incontri tra gli scarsi =  $\binom{10}{2} = 45 = 90$  punti

→ tot. punti fatti dagli scarsi =  $90 \times 2 = 180$  pt.

puntate fatte dai forti vs scarsi =  $10n \rightarrow 20n$  pt.

pt. fatti dai forti contro gli scarsi =  $20n - 90$

→ pt. tot. fatti dai forti =  $(20n - 90) \times 2 = 40n - 180$

pt. totali =  $40n = \underbrace{\binom{n+10}{2} \times 2}_{n. \text{ tot. di pt.}}$        $40n = (n+10)(n+9)$

$$n^2 + 19n + 90 = 40n \quad n^2 - 21n + 90 = 0 \quad n \begin{matrix} 25 \\ -16 \end{matrix} \leftarrow \text{NO.}$$

$$\binom{6}{2} \cdot 2 \cdot 2 = 60 \text{ pt.}$$

10 p. di media x ogni  
squadra forte

punti tot. scarsi = 180

$$\text{media di ogni scarso} = \frac{180}{10} = 18 \text{ pt}$$

$$\frac{10 \cdot 9 \cdot 2}{2} = 90$$

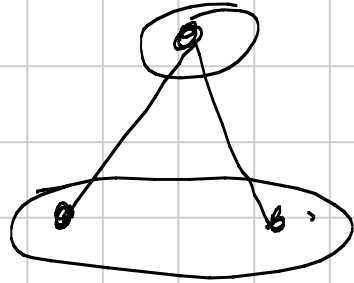
$$n_i = 18 \text{ punti}$$

$$m_i = 6 + 2 \cdot 4 + 14 = 28 \text{ punti}$$

$$18 \cdot 10 + 15 \cdot 28 = 600$$

$$\frac{25 \cdot 24}{2} \cdot 2 = 600$$

10



$$\cancel{12K} \frac{(3K+6)(3K+5)}{2} = \frac{\cancel{12K}(12K-1)}{2} N$$

$$N = \frac{(3K+6)(3K+5)}{12K-1}$$

$$N = \frac{9K^2 + 33K + 30}{12K-1}$$

$$12K^2 + 44K + 40 = K(12K - 1) +$$

$$+ 45K + 40$$

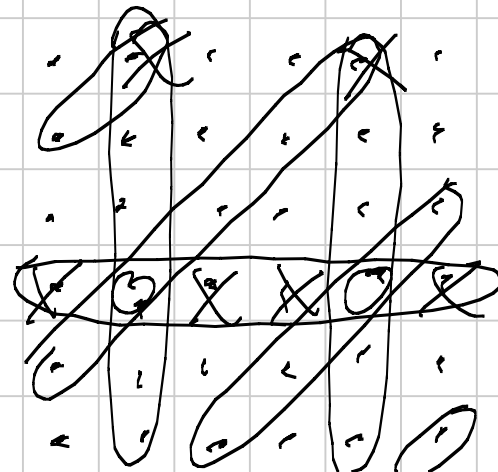
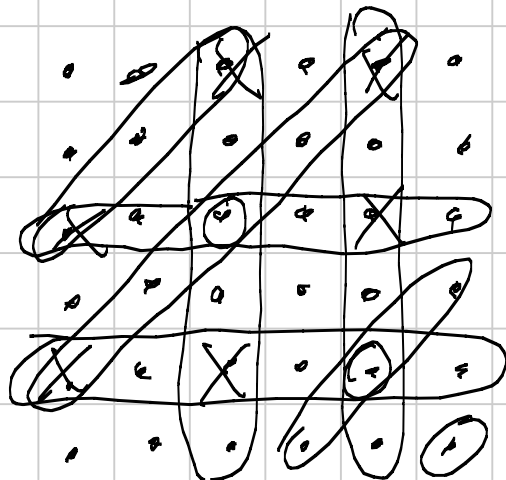
$$180K + 160 = 15(12K - 1) + 175$$

$$\frac{175}{12K - 1}$$

$$175 = 5 \cdot 5 \cdot 7$$

$$12K - 1 = 35$$

$$K = 3$$



$$\binom{2m}{m} = \sum_{k=0}^m \binom{m}{k} \binom{m}{m-k}$$



$$\sum_{k=0}^m \binom{m}{k} \binom{m}{m-k}$$